

Good news for all of you - JMA's algoritmh revealed!

Some time ago I've read the article "The secret of Mark Jurik's indicators revealed?" by Alexander Smirnov and others from the Russian magazine 'Spekulant'. I was thinking it was a joke because real JMA have nothing common with described in the article.

So, I have spent long time (months) for studying of this algorithm to be the real one. And finally we have clear and understandable description of this famous trading tool.

I classify JMA as **triple adaptive filter with unique Jurik smoothing and dynamic factor**.

The Jurik smoothing includes 3 stages:

1st stage - preliminary smoothing by adaptive EMA:

$$MA1 = (1-\alpha)*Price + \alpha*MA1[1];$$

2nd stage - one more preliminary smoothing by Kalman filter:

$$Det0 = (Price - MA1)*(1-\beta) + \beta*Det0[1];$$
$$MA2 = MA1 + PR*Det0;$$

3rd stage - final smoothing by unique Jurik adaptive filter:

$$Det1 = (MA2 - JMA[1]) * (1-\alpha)^2 + \alpha^2 * Det1[1];$$
$$JMA = JMA[1] + Det1;$$

where:

- Price - Price Series
- alpha - dynamic factor(will be described below)
- beta - periodic ratio = $0.45*(Length-1)/(0.45*(Length-1)+2)$
- PR - Phase Ratio: $PR = Phase/100 + 1.5$ (if Phase < -100 then PR=0.5, if Phase > 100 then PR=2.5).

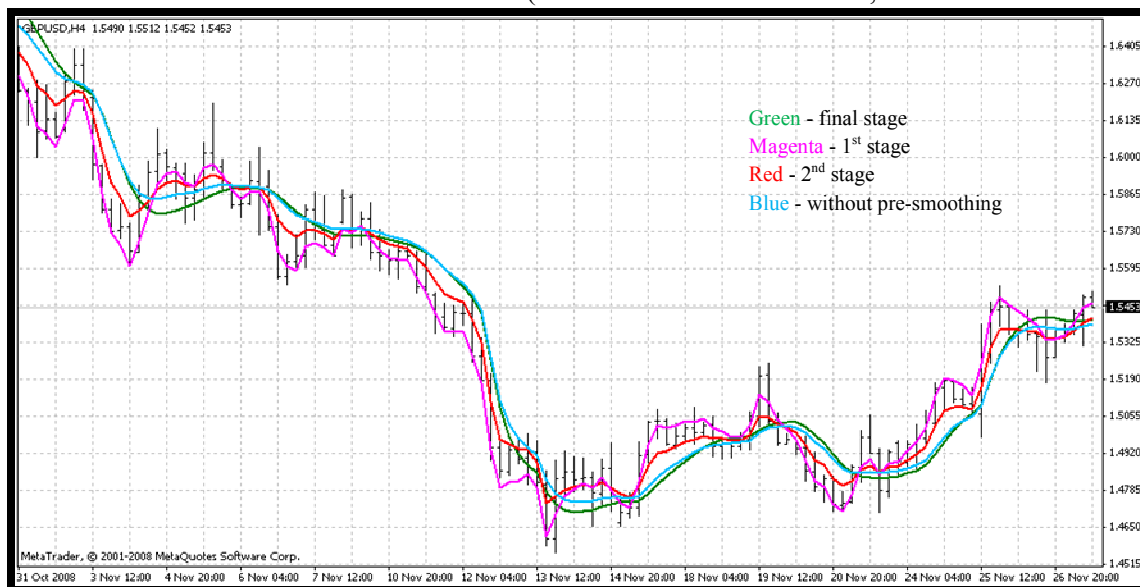


Figure 1. Sample chart with all stages of Jurik Smoothing.

You can see results (Figure 1) of each stage by means of attached indicator JurikFilter_v2, changing FilterMode:

- 0 - final stage(JMA)
- 1 - 1st stage
- 2 - 2nd stage
- 3 - only final(without preliminary) smoothing.

The Dynamic Factor is periodic factor (beta) raised to a power (pow):

$$\alpha = \beta^{\text{Pow}}$$

where:

- pow = rVolty ^ pow1
- rVolty- relative price volatility
- pow1 - power of relative volatility with following formula:

$$\text{pow1} = \text{len1} - 2 \text{ (if pow1} < 0.5 \text{ then pow1} = 0.5\text{),}$$

where len1 - additional periodic factor:

$$\text{len1} = \text{Log}(\text{SquareRoot}(\text{len}))/\text{Log}(2.0) + 2 \text{ (if len1} < 0 \text{ then len1} = 0\text{).}$$

Thus you can see that the **Dynamic factor** is based on the **relative price volatility** giving the required adaptability for this kind of the price filter.

The formula for **relative price volatility** is

$$\text{rVolty} = \text{Volty}/\text{AvgVolty}$$

(if rVolty > len1^(1/pow1) then rVolty = len1^(1/pow1), if rVolty < 1 then rVolty = 1),

where:

- Volty - price volatility based on calculation of so-called **Jurik Bands** (VisualMode = 1).
- AvgVolty - average volatility for which Jurik use difficult enough algorithm of calculation:

$$\text{AvgVolty} = \text{Average}(\text{vSum}, \text{AvgLen}),$$

where:

- vSum - incremental sum of (Volty - Volty[10])/10;
- AvgLen - period of average (Jurik use 65).

In my version of Jurik Filter I use simple average instead of Jurik's complex averaging.

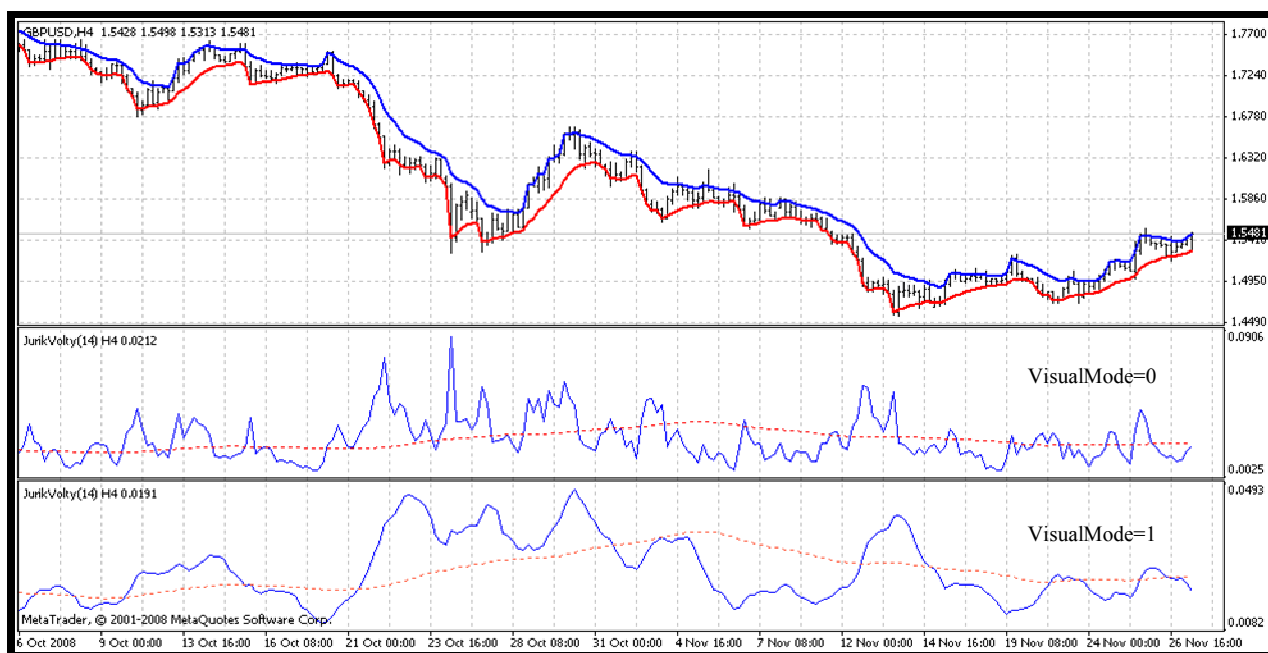


Figure 2. Sample Chart with Jurik Bands and Jurik Volatility.

Moreover, with attached indicator JurikVolty_v1(Figure 2) you can see values for Volty (VisualMode=0), vSum (VisualMode=1) and AvgVolty(red dotted line).

The formula for price volatility is

$\text{Volty} = \max \text{ between } \text{Abs}(\text{del1}) \text{ and } \text{Abs}(\text{del2}), \text{ if } \text{Abs}(\text{del1}) = \text{Abs}(\text{del2}) \text{ then } \text{Volty} = 0,$

where:

- del1 - distance between price and upper band $\text{del1} = \text{Price} - \text{UpperBand}$

- del2 - distance between price and lower band $\text{del2} = \text{Price} - \text{LowerBand}$

The **Jurik Bands** are different from any known price bands such as Bollinger, Keltner, Donchian, Fractal and so on:

if $\text{del1} > 0$ then $\text{UpperBand} = \text{Price}$ else $\text{UpperBand} = \text{Price} - K_v * \text{del1}$

if $\text{del2} < 0$ then $\text{LowerBand} = \text{Price}$ else $\text{LowerBand} = \text{Price} - K_v * \text{del2},$

where:

- K_v - volatility's factor $K_v = \text{bet} \wedge \text{SquareRoot}(\text{pow2}).$

It's easy to see that these bands can be a basis for **trend following indicator** like Wilder's Parabolic.

So, you can see we practically don't have obscure places in the algorithm of Jurik Moving Average(JMA).

Thanks for attention,
Igor

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